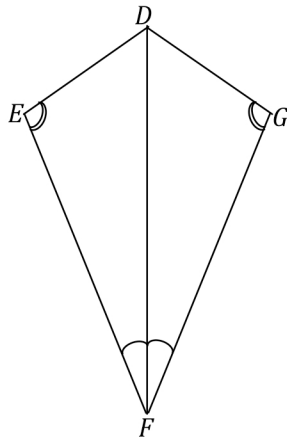


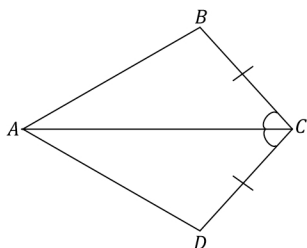
Checking for Identical Triangles

Are triangles $\triangle DEF$ and $\triangle DGF$ identical, not identical, or not necessarily identical? Justify your reasoning. If the relationship between the two triangles yields information that establishes a condition, describe the information. If the triangles are identical, write a triangle correspondence that matches the sides and angles.

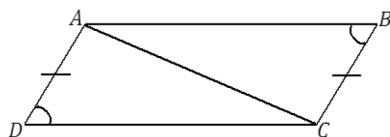


In the following problems, determine whether the triangles are identical, not identical, or whether they are not necessarily identical; justify your reasoning. If the relationship between the two triangles yields information that establishes a condition, describe the information. If the triangles are identical, write a triangle correspondence that matches the sides and angles.

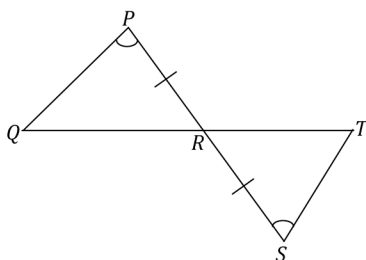
1.



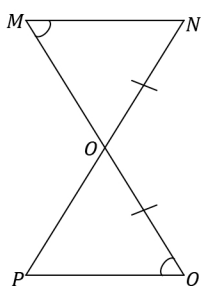
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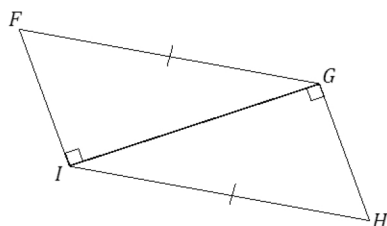
3.



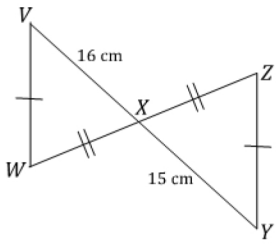
4.



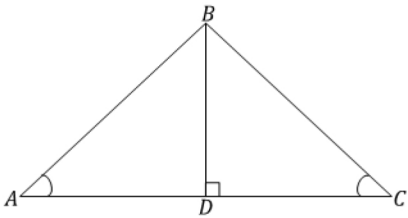
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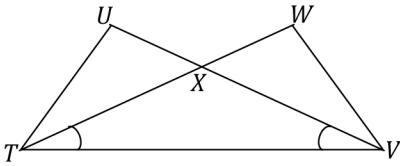
6.



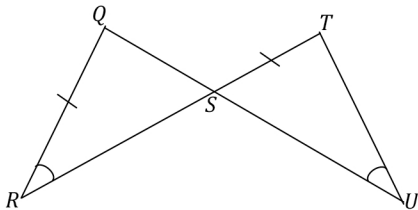
7.



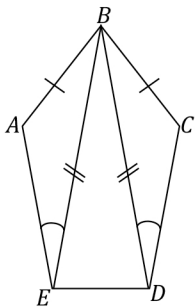
8. Are there any identical triangles in this diagram?



9.

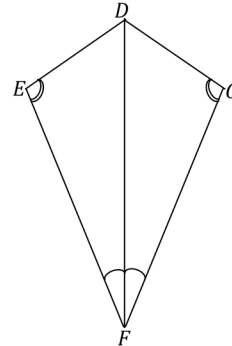


10.



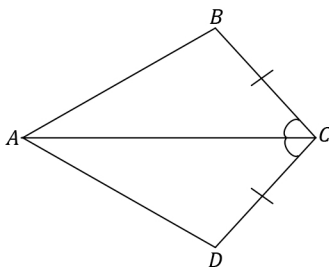
Are triangles $\triangle DEF$ and $\triangle GEF$ identical, not identical, or not necessarily identical? Justify your reasoning. If the relationship between the two triangles yields information that establishes a condition, describe the information. If the triangles are identical, write a triangle correspondence that matches the sides and angles.

These triangles are identical by the two angles and side opposite a given angle condition. The triangle correspondence $\triangle DEF \cong \triangle GEF$ matches the two pairs of equal angles and one pair of equal sides condition. The pair of equal sides, EF , is common to both triangles.



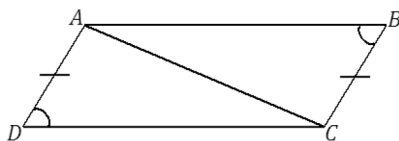
In the following problems, determine whether the triangles are identical, not identical, or whether they are not necessarily identical; justify your reasoning. If the relationship between the two triangles yields information that establishes a condition, describe the information. If the triangles are identical, write a triangle correspondence that matches the sides and angles.

1.



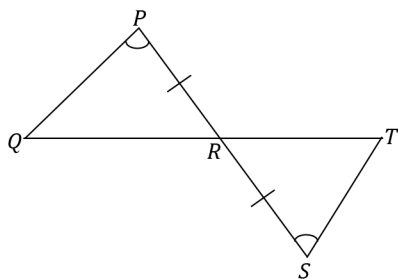
These triangles are identical by the two sides and the included angle condition. The triangle correspondence $\triangle ABC \cong \triangle ADC$ matches two pairs of equal sides and one pair of equal angles. One of the equal pairs of sides is shared side AC .

2.



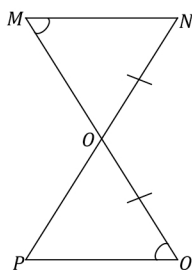
These triangles are not necessarily identical. The triangles have a pair of marked, equal sides, and a pair of marked, acute, equal angles; side AC is also common to both triangles. The triangles satisfy the two sides and non-included acute angle condition, which does not determine a unique triangle.

3.



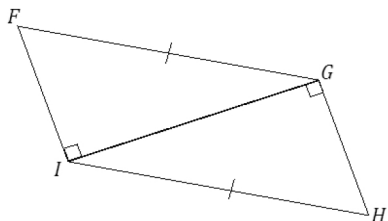
These triangles are identical by the two angles and included side condition. The triangle correspondence matches the two pairs of equal angles and one pair of equal sides. One pair of equal angles is the vertical angle pair .

4.



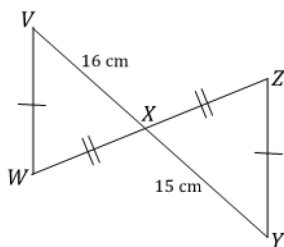
These triangles are not necessarily identical. A correspondence that matches up the equal pair of sides and the equal pair of vertical angles does not match the equal, marked pair of angles.

5.



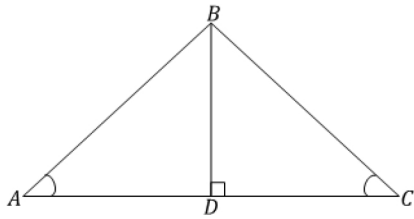
The triangles are identical by the two sides and non-included (or greater) angle condition. The correspondence matches two pairs of equal sides and one pair of equal angles. One of the two pairs of equal sides is side , which is common to both triangles.

6.



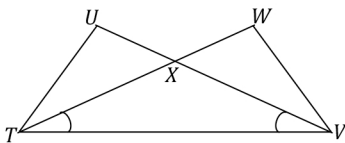
The triangles are not identical since a correspondence that matches the two marked equal pairs of sides also matches sides and , which are not equal in length.

7.



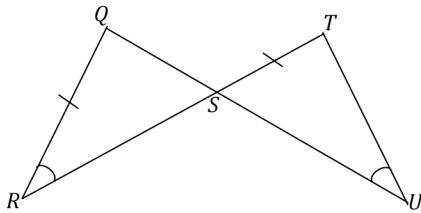
These triangles are identical by the two angles and side opposite a given angle condition. The correspondence matches the two pairs of equal angles and one pair of equal sides. The pair of equal sides is the common side, BD . We know $\angle BDC$ must be a right angle since $\angle BDA$ is a right angle, and they are both on a line and of course angles $\angle A$ and $\angle C$ are equal in measurement.

8. Are there any identical triangles in this diagram?



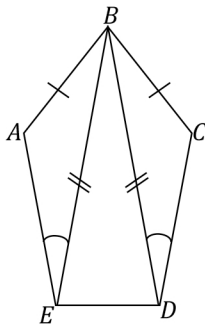
Triangles UTX and WVX are not necessarily identical; we only know about a single pair of equal angles in the triangles, which are vertical angles. Triangles UTV and WTV are also not necessarily identical. We only know about a single pair of equal angles and a side common to both triangles, which is not enough information to determine the triangles as identical or non-identical.

9.



The triangles are not necessarily identical since there is no correspondence that matches the two marked equal pairs of sides as well as the two pairs of equal angles. One of the pairs of equal angles is the pair of vertical angles.

10.



Triangles BAE and BCD are not necessarily identical. The triangles satisfy the two sides and non-included acute angle condition, which does not determine a unique triangle.